Factoring $ax^2 + bx + c$ when a > 1

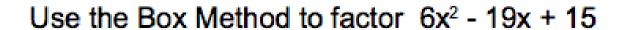
Box Method - Factoring the GCF

- Look to factor out a GCF from all terms whenever possible.
- Multiply "a" and "c" terms and find the factors that sum to the "b" term (exact same process as equations where a=1)
- 3) Create a "2x2 Box"
 - "a" term is in the upper left
 - "b" factors are in the upper right and lower left
 - "c" term is in the lower right
- 4) Factor out the GCF from each column and row; place the number/variable on the outside of the box using the +/- sign closest to the outside edge of the box
- 5) The numbers on the outside of the box is the factoring (parentheses)

Use the Box Method to factor 3x2 - 2x - 5

$$ac = 3(-5) = -15$$

$$(3x-5)(x+1)=0$$





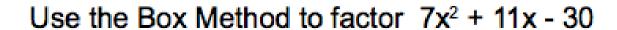
Sum of factors Factors of 90 - 91 -1,-90 -2,-45 - 47 - 3, - 30 - 33 -5,-18 - a3 - 21 -6, -15

Use the Box Method to factor $6x^2 + -19x + 15$

$$ac = 6(15) = 90$$

-9 and -10

$$(2x-3)(3x-5)=0$$



Use the Box Method to factor $7x^2 + 11x - 30$

factors the Sum to 11 7x and product of -210

 $\frac{\times}{7\times^2}$ $\frac{3}{21\times}$

factor GCF using box; watch the signs

$$(x+3)(7x-10)=0$$

It doesn't matter if the factors switch spots within the box. The factoring is not changed. Use the Box Method to factor $7x^2 + 11x - 30$

21 and -10

7×2	-10×
21×	-30

$$(x+3)(7x-10)=0$$